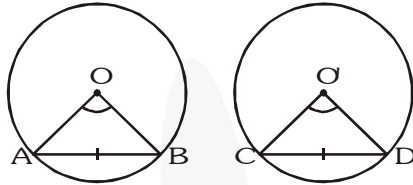


## Ex - 10.2

**Q1.** Recall that two circles are congruent if they have the same radii. Prove that equal chords of congruent circles subtend equal angles at their centres.

**Sol.** **Given :** Two congruent circles  $C(O, r)$  and  $C(O', r)$  which have chords  $AB$  and  $CD$  respectively such that  $AB = CD$ .



**To prove :**  $\angle AOB = \angle CO'D$

**Proof :** From  $\triangle AOB$  and  $\triangle CO'D$ , we have

$$AB = CD \quad \text{[Given]}$$

$$OA = O'C \quad \text{[Each equal to } r \text{]}$$

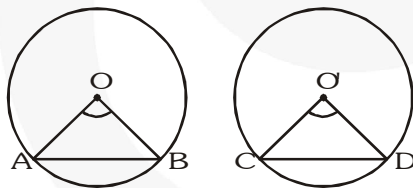
$$OB = O'D \quad \text{[Each equal to } r \text{]}$$

$$\therefore \triangle AOB \cong \triangle CO'D \quad \text{[By SSS-congruence]}$$

$$\Rightarrow \angle AOB = \angle CO'D \quad \text{[C.P.C.T.]}$$

**Q2.** Prove that if chords of congruent circles subtend equal angles at their centres, then the chords are equal.

**Sol.** **Given :** Two congruent circle  $C(O, r)$  and  $C(O', r)$  which have chords  $AB$  and  $CD$  respectively, such that  $\angle AOB = \angle CO'D$



**To prove :**  $AB = CD$

**Proof :** In  $\triangle AOB$  and  $\triangle CO'D$ , we have :

$$OA = O'C \quad \text{[each equal to } r \text{]}$$

$$OB = O'D \quad \text{[each equal to } r \text{]}$$

$$\angle AOB = \angle CO'D \quad \text{[given]}$$

$$\therefore \triangle AOB \cong \triangle CO'D \quad \text{[by SAS - criterion]}$$

$$\text{Hence, } AB = CD \quad \text{[C.P.C.T.]}$$